

# Escape Behavior of Medaka (*Oryzias latipes*) in Response to Aerial Predators of Different Sizes and with Different Attack Speeds

Sang-Hee Lee\* 

Team of Application for Mathematical Principles, Division of Advanced Researches for Industrial Mathematics, National Institute for Mathematical Sciences, Daejeon, Korea

## ABSTRACT

The escape behavior of prey fish to predator attack is directly linked to the survival of the fish. In this study, I explored the escape behavior of Medaka fish to bird attacks. To simulate the attack, I designed a model triangular-shaped bird to slide along a fishing line connected between rods at both ends of the tank. The triangular shape was set to  $10 \times 15$  ( $S=1$ ),  $15 \times 20$  ( $S=2$ ), and  $20 \times 25$  cm ( $S=3$ ) with base  $\times$  height. The slope ( $\theta$ ) of the fishing line, which determines the attack speed of the model bird, was set to values of  $15^\circ$  ( $\theta=1$ ),  $30^\circ$  ( $\theta=2$ ), and  $45^\circ$  ( $\theta=3$ ). The escape behavior was characterized using five variables: escape speed ( $v$ ), escape acceleration ( $\alpha$ ), responsiveness ( $\gamma$ ), branch length similarity entropy ( $\varepsilon$ ), and alignment ( $\phi$ ). The experimental results showed when ( $S, \theta$ )=(fixed, varied), the change in values of the five variables were not significant. Thus, the fish respond more sensitively to  $S$  than to  $\theta$ . In contrast, when ( $S, \theta$ )=(varied, fixed),  $v$ ,  $\alpha$ , and  $\gamma$  showed increasing trends but  $\varepsilon$  and  $\phi$  did not change much. This indicates the nature of fish escape behavior irrespective of the threat is inherent in  $\varepsilon$  and  $\phi$ . I found that fish escape behavior can be divided into two types for the five physical quantities. In particular, the analysis showed that the type was mainly determined by the size of the model bird.

**Keywords:** Bird attack, Branch length similarity entropy, Fish escape behavior, Responsiveness

## Introduction

Most animals exhibit an escape behavior that accelerates rapidly when exposed to sudden predation threats (Bisazza *et al.*, 1997; Tay *et al.*, 2021; Webb, 1986). It is important to understand the kinematic characteristics (e.g., flight initiation distance, escape trajectory, turning speed,

and acceleration) of the escape behavior, as this is crucial to the survival of the individual and the suitability of the species as well as to understand stability parameters of the predator-prey system. The kinematic characteristics are strongly influenced by the physiological state of the individual but are also governed by external environmental factors. Thus, the characteristics have been explored in relation to physiological and environmental factors (Bateman & Fleming, 2014; Colwill & Creton, 2011; Domenici, 2002; 2010; Ozel & Stynoski, 2011; Paul *et al.*, 2021). Most of these studies have been conducted on vertebrate animals and have provided an understanding of animal escape behavior. However, in recent years, ethical restrictions related to animal experiments have been strength-

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\***Corresponding author:** Sang-Hee Lee  
**e-mail** [sunchaos.sanghee@gmail.com](mailto:sunchaos.sanghee@gmail.com)  
 <https://orcid.org/0000-0003-2708-071X>



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ened, resulting in limited research.

Research using fish is relatively free from ethical issues, and easy to observe and analyze the behavior. For this reason, research on escape behavior in fish has attracted much attention from diverse academic perspectives such as neurophysiology (Eaton *et al.*, 2001), biomechanics (Wakeling, 2006), kinematics (Domenici & Hale, 2019), and behavioral ecology (Binning *et al.*, 2014; Godin, 1997). In particular, from a behavioral ecology point of view, Domenici (2010) suggested that when prey escape, they behave in the direction of minimizing the cost function defined by an economic theory developed by Ydenberg and Dill (1986) and Lima and Dill (1990). The cost function includes various physical quantities and the response distance at which the prey begins to escape the predator (Domenici *et al.*, 2007): predator approach speed (Cooper, 2003; Cooper *et al.*, 2003), directness of approach (Burger & Gochfeld, 1990; Cooper, 1997; 2010), persistence in attacking (Cooper & Avalos, 2010), direction of refuge relative to the predator (Cooper & Wilson, 2007). In addition, studies on the escape behavior of fish are directly related to the conservation of fishery resources for environmental pollution and environmental protection (Brodin *et al.*, 2014; Jacquin *et al.*, 2020). Thus, we have come to understand the various kinematic characteristics of the escape behavior of fish. However, there is still a lack of research which quantitatively characterizes the escape behavior of fish in relation to the attack patterns of aerial predators (birds). This is because it is not easy to define a statistical quantity that can characterize the attack patterns, and it is technically difficult to measure changes in fish behavior that occur in a short period of time.

In this study, I explored the escape behavior of the medaka fish, *Oryzias latipes*, in response to the attack of a model bird of three different sizes and attack speeds. Species that actually feed on medaka fish include herons and kingfishers (Naher, 2015). In other words, this study is an analysis of the response behavior of medaka fish to the predator species. To characterize this escape behavior, I used five physical variables: escape speed, escape acceleration, responsiveness, branch length similarity (BLS) entropy, and degree of alignment of fish groups. The escape speed, acceleration, and responsiveness are physical variables reflecting the kinematic characteristics of the fish, and the BLS entropy and alignment are variables that reflect the static characteristics of the fish. These variables not only help quantify escape behavior but also to develop mathematical models that can simulate the escape behavior.

In particular, it will be useful to determine the variables that should be applied in a model and to estimate the values of those variables. I constructed vectors comprising these five variables and classified them into two groups

with similar characteristics. Using this classification, I briefly discussed the idea for characterizing the threat to the fish generated from the approach of predators.

## Materials and Methods

### Test species and the observation system

Two hundred and fifty Medaka fish (*Oryzias latipes*) were housed in a circular water tank 100 cm in diameter and 30 cm in height. Prior to the experiment, the fish were acclimated to the experimental conditions (12 h light:12 h dark photoperiod at 20°C water temperature) for 4 weeks. Fish were provided TetraMin (Tetra Werke, Melle, Germany) flake food (1 g/day) daily. The average length of the fish was  $20.74 \pm 2.19$  mm.

I placed 20 fish in a tank filled with water (water depth of 5 cm) and investigated how the fish escape when model birds of different sizes and speeds approach them. To simulate the approach, the model bird, made of a triangular-shaped acrylic plate, was attached to a fishing line connected between two rods at either end of the water tank. The triangular shape was set to  $10 \times 15$  ( $S=1$ ),  $15 \times 20$  ( $S=2$ ), and  $20 \times 25$  cm ( $S=3$ ) with base $\times$ height. The slope ( $\theta$ ) of the fishing line was set to values of  $15^\circ$  ( $\theta=1$ ),  $30^\circ$  ( $\theta=2$ ), and  $45^\circ$  ( $\theta=3$ ) (Fig. 1).

During the experiment, I protected the laboratory from external stimuli such as sound and light. A digital camcorder (SONY CX-550; SONY, Tokyo, Japan) equipped with a wide-angle lens (Raynox QC-505; Raynox, Tokyo, Japan) to obtain a clear image was fixed at a height of 120 cm from the bottom of the tank to observe fish escape behavior. For the acclimatization of the fish to the environment before performing the experiment, I left the fish for 2 hours without external stimulation. After the acclimatization time, the fish's movements became stable without sudden rapid movements. I recorded a set of 10 replicates for a combination of size and angle of a model bird to obtain statistical results on fish escape behavior. I extracted 4-sec video clips of the escape behavior from the recordings. The video resolution was 1/10 seconds (Fig. 2).

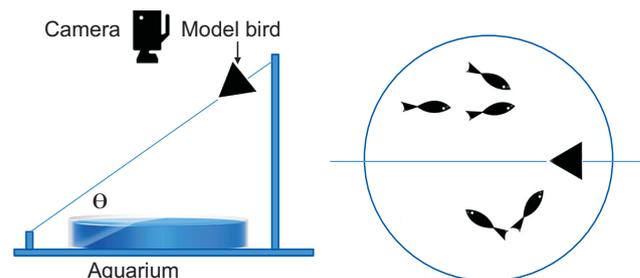
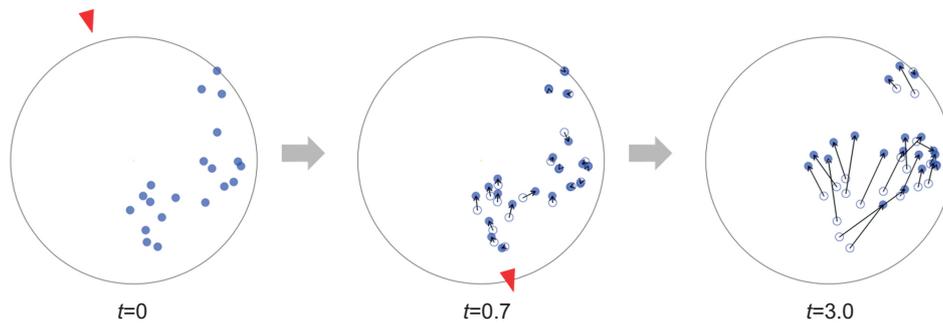


Fig. 1. Schematic diagram of the experimental equipment.



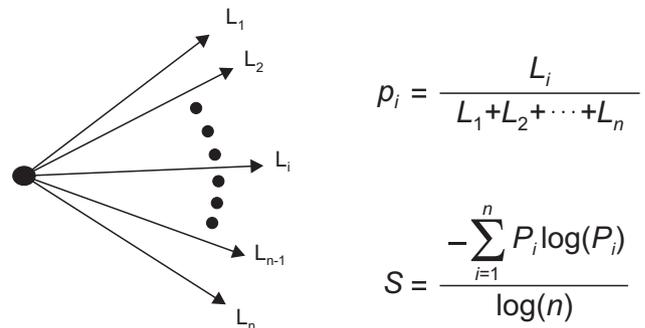
**Fig. 2.** Model bird passing over a water tank and an escaping fish. The blue circle at  $t=0$  (s) represents the position of fish before the model bird passes, the white circle at  $t>0$  (s) represents the initial position of the fish, and the blue circle represents the later position after the escape behavior. The arrows represent the vector from the initial position to the later position.

**Analysis**

The escape behavior was characterized using five variables: escape speed ( $v$ ), escape acceleration ( $\alpha$ ), responsiveness ( $\gamma$ ), BLS entropy ( $\varepsilon$ ), and alignment ( $\phi$ ). I defined the escape time as the time taken for the model bird to pass over the water tank in which the fish were placed. The time varied slightly depending on the slope of the model bird, but it was approximately 0.4 seconds. The escape behavior of fish is performed either through direct sensing of the presence of a predator or through information transmitted in the form of rapid behavioral changes (e.g., speed and direction) of neighboring mates (Eaton *et al.*, 1981; Gerlotto *et al.*, 2006). During the performance period, the fish’s behavior (fast-start response) is triggered by a pair of higher-order neurons, commonly called Mauthner cells. The fast-start response is one of the main behavior that increase the chances of survival from predators. For this reason, the escape response time was set to 0.4 seconds and the analysis of fish behavior after the escape period was excluded. The  $v$  ( $\alpha$ ) was defined as the average value of the  $v$  ( $\alpha$ ) during the escape period. These variables reflect the degree to which fish recognize a model bird as a threat (Bulova, 1994; Cooper, 1997; 2003). The  $\gamma$  represents the ratio of the number of individuals responding to the model bird to the total number of individuals (=20) during the escape period (Fuiman *et al.*, 2006). If  $\gamma$  has a value of 1, it indicates that all individuals escaped from the model bird, whereas if  $\gamma$  has a value of 0, it represents that no individuals responded to the attack of the model bird.

The  $\varepsilon$  shows how fish are distributed when viewed from the center of the water tank (Lee, 2010). The  $\varepsilon$  was defined in a simple network comprising a single node and its branches as below (see Fig. 3),

$$S = - \sum_{i=1}^n \frac{p_i \log(p_i)}{\log(n)} \tag{1}$$



**Fig. 3.** Branch length similarity entropy definition on a network comprising one node and several edges.

Here, the probability of the  $i$ -th branch of the simple network is defined as

$$p_i = \frac{L_i}{\sum_{k=1}^n L_k} \tag{2}$$

where  $n$  is the number of branches in the simple network and  $L_k$  is the length of the  $k$ -th branch ( $k=1, 2, 3, \dots, n$ ). The denominator  $\log(n)$  is introduced to normalize the entropy. In this study, I used the distance from the center of water tank to each fish individual as the branch length. When the value of  $\varepsilon$  is approaching 1.0, it means that all the branch lengths are the same, and smaller the entropy value, the more heterogeneous is the length distribution. This variable measures the degree to which fish disperse when escaping.

The variable for the alignment of the fish group ( $\phi$ ), indicates how all individuals are aligned in one direction. This variable was mathematically defined by the absolute value of the average unit velocity of fish (Lee, 2006);

$$\phi = \frac{|\sum_j \hat{v}_j|}{N_{tot}} \quad (3)$$

where  $N_{tot}$  (=20) was the total number of fish individuals and  $v_j$  was the unit velocity vector of the  $j$ -th individual ( $j=1, 2, 3, \dots, 20$ ). If  $\phi=1$ , then all fish individuals are headed in one direction, and if  $\phi=0$ , all individuals have random orientation.

### Results

The speed at which the model bird moved along the line was  $1.48 \pm 0.13$  m/s,  $3.10 \pm 0.18$  m/s, and  $4.49 \pm 0.34$  m/s for

$\theta=15^\circ, 30^\circ,$  and  $40^\circ,$  respectively. Table 1 shows the characterization values of the fish escape behavior. The values were obtained under the condition of  $(S, \theta)=(\text{fixed}, 1:3)$ . The results showed there was no statistical change in the escape behavior with the change in falling slope within each size category of model birds. This means that the fish are not sensitive to the approach speed of the model bird, at least in the range of  $15\text{--}45^\circ$ .

Table 2 shows how the fish responded to the size of the model bird ( $S$ ) when the  $\theta$  was fixed. In the case of  $\theta=1$ , the  $v, \alpha,$  and  $\gamma$  increased as  $S$  increased. This can be interpreted as the fish responded more sensitively to the size of the model bird. That is, as the size of the model bird increased, the degree of the threat increased. The increase

**Table 1.** Statistical values of the five physical variables for fish escape behavior for model birds with size  $S$  and falling angle  $\theta$  under the condition that  $S$  is fixed and  $\theta$  changes

S	$\theta$	v (speed)	$\alpha$ (acceleration)	$\gamma$ (responsiveness)	$\varepsilon$ (BLS entropy gradient)	$\phi$ (alignment)
1	1	$0.104 \pm 0.047^a$	$0.033 \pm 0.028^a$	$0.221 \pm 0.037^a$	$1.000 \pm 0.000^a$	$0.393 \pm 0.066^a$
	2	$0.111 \pm 0.033^a$	$0.038 \pm 0.011^a$	$0.251 \pm 0.053^a$	$0.954 \pm 0.095^a$	$0.470 \pm 0.094^a$
	3	$0.103 \pm 0.039^a$	$0.031 \pm 0.010^a$	$0.243 \pm 0.093^a$	$0.933 \pm 0.190^a$	$0.434 \pm 0.063^a$
2	1	$0.225 \pm 0.058^a$	$0.047 \pm 0.022^a$	$0.363 \pm 0.073^a$	$0.797 \pm 0.220^a$	$0.512 \pm 0.119^a$
	2	$0.152 \pm 0.025^a$	$0.040 \pm 0.007^a$	$0.304 \pm 0.037^a$	$0.930 \pm 0.088^a$	$0.490 \pm 0.078^a$
	3	$0.156 \pm 0.074^a$	$0.039 \pm 0.010^a$	$0.315 \pm 0.127^a$	$0.939 \pm 0.072^a$	$0.466 \pm 0.166^a$
3	1	$0.317 \pm 0.077^a$	$0.071 \pm 0.019^a$	$0.473 \pm 0.066^a$	$0.719 \pm 0.194^a$	$0.655 \pm 0.088^a$
	2	$0.223 \pm 0.046^b$	$0.058 \pm 0.012^a$	$0.389 \pm 0.054^a$	$0.892 \pm 0.190^a$	$0.609 \pm 0.070^a$
	3	$0.199 \pm 0.044^b$	$0.062 \pm 0.016^a$	$0.431 \pm 0.071^a$	$0.875 \pm 0.231^a$	$0.562 \pm 0.109^a$

Values are presented as mean  $\pm$  standard deviation.

BLS, branch length similarity.

Means within a column followed by the same letter are not significantly different at  $\alpha=0.05$  (one-way ANOVA, with the Scheffe's test for post hoc multiple comparisons).

**Table 2.** Statistical values of the five physical variables for fish escape behavior for model birds with size  $S$  and falling angle  $\theta$  under the condition that  $\theta$  is fixed and  $S$  changes

$\theta$	S	v (speed)	$\alpha$ (acceleration)	$\gamma$ (responsiveness)	$\varepsilon$ (BLS entropy gradient)	$\phi$ (alignment)
1	1	$0.104 \pm 0.047^a$	$0.033 \pm 0.028^a$	$0.221 \pm 0.037^a$	$1.000 \pm 0.000^a$	$0.393 \pm 0.066^a$
	2	$0.225 \pm 0.058^b$	$0.047 \pm 0.022^{ab}$	$0.363 \pm 0.073^b$	$0.797 \pm 0.220^{ab}$	$0.512 \pm 0.119^a$
	3	$0.317 \pm 0.077^c$	$0.071 \pm 0.019^b$	$0.473 \pm 0.066^c$	$0.719 \pm 0.194^b$	$0.655 \pm 0.088^b$
2	1	$0.111 \pm 0.033^a$	$0.038 \pm 0.011^a$	$0.251 \pm 0.053^a$	$0.954 \pm 0.095^a$	$0.470 \pm 0.094^a$
	2	$0.152 \pm 0.025^a$	$0.040 \pm 0.007^a$	$0.304 \pm 0.037^a$	$0.930 \pm 0.088^a$	$0.490 \pm 0.078^a$
	3	$0.223 \pm 0.046^b$	$0.058 \pm 0.012^b$	$0.389 \pm 0.054^b$	$0.892 \pm 0.190^a$	$0.609 \pm 0.070^b$
3	1	$0.103 \pm 0.039^a$	$0.031 \pm 0.010^a$	$0.243 \pm 0.093^a$	$0.933 \pm 0.190^a$	$0.434 \pm 0.063^a$
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Values are presented as mean  $\pm$  standard deviation.

BLS, branch length similarity.

Means within a column followed by the same letter are not significantly different at  $\alpha=0.05$  (one-way ANOVA, with Scheffe's test for posthoc multiple comparisons).

**Table 3.** Silhouette values for different numbers of groups

Number of groups	2	3	4	5	6	7	8	9	10
Silhouette value	0.653	0.623	0.628	0.514	0.474	0.399	0.453	0.361	0.360

in  $\gamma$  can be easily understood from the fact that the larger the size of the model bird, the easier it is for more individuals to recognize the bird. When  $S$  increased, the fact that  $\varepsilon$  decreased and  $\phi$  increased showed a tendency that the distance between individuals was not maintained with the increased sense of threat, but the degree of alignment with direction tended to be stronger.

For  $\theta=2$ , all variables for  $S=1$  and 2 were statistically identical. Thus, fish did not distinguish between model birds with  $S=1$  and  $S=2$ . At  $S=3$ , all variables except  $\varepsilon$  were increased. Thus, the fish responded strongly to the approach of the model bird and showed a tendency to keep the interval between the individuals constant during the escape. In other words, it indirectly showed that unchanged  $\varepsilon$  values are one of the intrinsic characteristics that appear irrespective of the degree of threat to the fish.

In the case of  $\theta=3$ , the values of  $\phi$  and  $\varepsilon$  did not change with respect to the increase of  $S$ , whereas the increase of  $v$ ,  $\alpha$ , and  $\gamma$  was observed. Thus, as the model bird approached quickly, fish individuals strengthened their tendency to align and the tendency to maintain a constant spacing among individuals.

Based on the data shown in Tables 1 and 2, the change in values of the five variables indicated that fish became more threatened when the size of the model bird became larger. To clarify this, I performed the  $k$ -means clustering algorithm (Oyelade *et al.*, 2010). A vector defined by the five variables for each case of  $(S, \theta)$  was constructed. I calculated the silhouette scores for the number of groups from 2 to 10 and examined how many of these total vectors would be best grouped (Table 3). The silhouette score is an indicator of how well the grouping has performed. The higher the score, the better is the grouping. The results showed that the best grouping was performed when the number of groups was 2. Table 4 shows the percentage of vectors belonging to group 1 or 2. The vectors for  $S=3$  were included in group 1, while the vectors for  $S=1$  were included in group 2. The vectors for  $S=2$  belonged to both groups 1 and 2. The grouping results showed the escape behavior can be divided into two groups; one being highly threatened with predators and the other being less threatened. In other words, the vectors belonging to group 1 represent escape behavior associated with less threat and the vectors belonging to group 2 represent escape behavior associated with greater threat.

**Table 4.**  $k$ -means clustering ( $k=2$ ) on sets of the variables vectors ( $v, \phi, \gamma, \varepsilon$ , and  $\alpha$ ) characterizing the escape behavior for  $(S_i, \theta_j)$  where  $i, j=1, 2$ , or 3

$(S, \theta)$	Percentage belonging to each group (%)	
	Group 1	Group 2
(1, 1)	0 (0.0)	9 (100)
(1, 2)	1 (10.0)	9 (90.0)
(1, 3)	1 (10.0)	9 (90.0)
(2, 1)	3 (42.9)	4 (57.1)
(2, 2)	0 (0.0)	5 (100)
(2, 3)	2 (20.0)	8 (80.0)
(3, 1)	8 (88.9)	1 (11.1)
(3, 2)	5 (71.4)	2 (28.6)
(3, 3)	7 (70.0)	3 (30.0)

Numbers outside and inside parentheses indicate the number and percentage of vectors belonging to each group, respectively.

## Discussion

In the field, the attack speed of the predator towards the prey varies greatly depending on the species and the degree of hunger of the predator (Domenici, 2002). In the preliminary investigations, when the falling slope was made smaller than  $15^\circ$ , only 2–3 fish responded to the model bird and when the slope was larger than  $45^\circ$ , the escape behavior appeared after the model bird passed. Thus, I selected three angles,  $15^\circ$ ,  $30^\circ$ , and  $45^\circ$ , in the range within which more than 10 fish responded.

In this study, I dropped the model birds when all the fish were at rest and most of the fish individuals were located beneath the drop of the model bird. The reason for this is that individuals scattered throughout the water tank are likely to notice different sizes of model birds owing to different angles with the model birds. Moreover, in many cases, the bird attack does not follow a straight line at a constant speed. This is because the bird attempts to minimize air resistance by wind or to obtain strategic advantages for moving prey (Tucker *et al.*, 2000). Therefore, the escape behavior of fish in the field is likely to be different from the experimental results of this study. It would be interesting to explore the escape behavior of fish by allowing model birds to fall along a curved, rather than straight, path.

The statistical values of  $v$ ,  $\alpha$ ,  $\gamma$ ,  $\varepsilon$ , and  $\phi$  can be useful information in constructing machine learning-based models, such as hidden Markov models (HMM). This is because the variables contain information on both the dynamic and static characteristics of the escape behavior. An HMM is characterized by two stochastic processes: processes in the invisible hidden state and processes seen as time series of observable events. The invisible state is defined by a finite number of states, an initial state probability distribution, and a state transition probability matrix (TPM). On the other hand, the observable state is defined as a set of probability density functions related to the probability of occurrence (emission probability matrix, EPM). The former process is to optimize the structure of the model to efficiently learn the observation data obtained from the experiment. Therefore, this process can be algorithmically optimized. The latter process, however, should define variables characterizing the time-dependent phenomena. The performance of the HMM depends considerably on variables defining the behavioral state. Therefore, setting the variable plays a very important role in the ability of HMM to learn the sequence of states comprising the variables. The HMM (composed of TPM and EPM) for fish escape behavior allows us to numerically quantify changes in the behavioral characteristics of fish. In other words, since the structures of the two matrices can vary sensitively with different types and ages of fish, we can characterize behavioral changes for different species and ages through the structural analysis.

In this study, I classified fish escape behavior into two types using  $k$ -means clustering algorithm: one is that the fish feel strongly threatened and the other is that the fish feel relatively weakly threatened. If we have the information of  $v$ ,  $\alpha$ ,  $\gamma$ ,  $\varepsilon$ , and  $\phi$  for a new fish's escape behavior, we can statistically determine whether this fish feels a great threat from the predator or a minor threat. An easy way to make this determination is to use the  $k$ -nearest neighbor algorithm (Bailey & Jain, 1978). This algorithm tells you which vectors are located around any one vector within a given set of vectors. Thus, we can know how many vectors, belonging to group 1 or group 2, exist around the vectors generated by the five variables of the new fish. If there are more vectors belonging to group 1 (or 2) then the new vector can be determined to belong to group 1 (or 2).

In this study, the escape behavior was divided into only two groups because the number of repetitions of experiments was small. The results imply that the type of escape behavior is mainly determined by the size of the model bird. In this respect, when the prey fish schooling size is large, it can be understood to some extent that their predators avoid aggressive attacks. However, if more experiments could be added, the escape behavior would be divided into several groups and the escape behavior

characterized more specifically.

I believe that this study is meaningful not only in that it provides essential data for the development of a fish schooling simulation model, but also in that it provides an approach that can be used to quantitatively analyze the escape behavior of various fish species.

## Conflict of Interest

The author declare that he has no competing interests.

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## References

- Bailey, T., and Jain, A.K. (1978). A note on distance-weighted  $k$ -nearest neighbor rules. *IEEE Transactions on Systems, Man, and Cybernetics*, 8, 311-313.
- Bateman, P.W., and Fleming, P.A. (2014). Does human pedestrian behaviour influence risk assessment in a successful mammal urban adapter? *Journal of Zoology*, 294, 93-98.
- Binning, S.A., Barnes, J.L., Davies, J.N., Backwell, P., Keogh, J., and Roche, D. (2014). Ectoparasites modify escape behaviour, but not performance, in a coral reef fish. *Animal Behaviour*, 93, 1-7.
- Bisazza, A., Cantalupo, C., and Vallortigara, G. (1997). Lateral asymmetries during escape behavior in a species of teleost fish (*Jenynsia lineata*). *Physiology & behavior*, 61, 31-35.
- Brodin, T., Piovano, S., Fick, J., Klaminder, J., Heynen, M., and Jonsson, M. (2014). Ecological effects of pharmaceuticals in aquatic systems--impacts through behavioural alterations. *Philosophical Transactions of the Royal Society of London. Series B, Biological Sciences*, 369, 20130580.
- Bulova, S.J. (1994). Ecological correlates of population and individual variation in antipredator behavior of two species of desert lizards. *Copeia*, 1994, 980-992.
- Burger, J., and Gochfeld, M. (1990). Risk discrimination of direct versus tangential approach by basking black iguanas (*Ctenosaura similis*): variation as a function of human exposure. *Journal of Comparative Psychology*, 104, 388-394.
- Colwill, R.M., and Creton, R. (2011). Imaging escape and avoidance behavior in zebrafish larvae. *Reviews in the Neurosciences*, 22, 63-73.
- Cooper, W.E. (2003). Shifted balance of risk and cost after autotomy affects use of cover, escape, activity, and foraging in the keeled earless lizard (*Holbrookia propinqua*). *Behavioral Ecology and Sociobiology*, 54, 179-187.
- Cooper, W.E., Jr. (1997). Escape by a refuging prey, the broad-headed skink (*Eumeces laticeps*). *Canadian Journal of Zoology*, 75, 943-947.
- Cooper, W.E., Jr. (2010). Economic escape. In M.D. Breed, and J., Moore (Eds.), *Encyclopedia of Animal Behavior* (pp. 588-595). London: Elsevier/Academic Press.
- Cooper, W.E., Jr, and Avalos, A. (2010). Escape decisions by the

- syntopic congeners *Sceloporus jarrovii* and *S. virgatus*: comparative effects of perch height and of predator approach speed, persistence, and direction of turning. *Journal of Herpetology*, 44, 425-430.
- Cooper, W.E., Jr, Pérez-Mellado, V., Baird, T, Baird, T.A., Caldwell, J.P., and Vitt, L.J. (2003). Effects of risk, cost, and their interaction on optimal escape by nonrefuging Bonaire whiptail lizards, *Cnemidophorus murinus*. *Behavioral Ecology*, 14, 288-293.
- Cooper, W.E., Jr, and Wilson, D.S. (2007). Beyond optimal escape theory: microhabitats as well as predation risk affect escape and refuge use by the phrynosomatid lizard *Sceloporus virgatus*. *Behaviour*, 144, 1235-1254.
- Domenici, P. (2002). The visually mediated escape response in fish: predicting prey responsiveness and the locomotor behaviour of predators and prey. *Marine and Freshwater Behaviour and Physiology*, 35, 87-110.
- Domenici, P. (2010). Context-dependent variability in the components of fish escape response: integrating locomotor performance and behavior. *Journal of Experimental Zoology. Part A, Ecological Genetics and Physiology*, 313, 59-79.
- Domenici, P., and Hale, M.E. (2019). Escape responses of fish: a review of the diversity in motor control, kinematics and behaviour. *The Journal of Experimental Biology*, 222(Pt 18), jeb166009.
- Domenici, P., Lefrançois, C., and Shingles, A. (2007). Hypoxia and the antipredator behaviours of fishes. *Philosophical Transactions of the Royal Society of London. Series B, Biological Sciences*, 362, 2105-2121.
- Eaton, R.C., Lee, R.K., and Foreman, M.B. (2001). The Mauthner cell and other identified neurons of the brainstem escape network of fish. *Progress in Neurobiology*, 63, 467-485.
- Eaton, R.C., Lavender, W.A., and Wieland, C.M. (1981). Identification of Mauthner-initiated response patterns in goldfish: evidence from simultaneous cinematography and electrophysiology. *Journal of Comparative Physiology*, 144, 521-531.
- Fuiman, L.A., Rose, K.A., Cowan, J.H., and Smith, E.P. (2006). Survival skills required for predator evasion by fish larvae and their relation to laboratory measures of performance. *Animal Behaviour*, 71, 1389-1399.
- Gerlotto, F., Bertrand, S., Bez, N., and Gutierrez, M. (2006). Waves of agitation inside anchovy schools observed with multibeam sonar: a way to transmit information in response to predation. *ICES Journal of Marine Science*, 63, 1405-1417.
- Godin, J.G.J. (1997). Evading predators. In J.G.J., Godin (Ed.), *Behavioural Ecology of Teleost Fishes* (pp. 191-236). Oxford: Oxford University Press.
- Jacquin, L., Petitjean, Q., Côte, J., Laffaille, P., and Jean, S. (2020). Effects of pollution on fish behavior, personality, and cognition: some research perspectives. *Frontiers in Ecology and Evolution*, 8, 86.
- Lee, S.H. (2006). Predator's attack-induced phase-like transition in prey flock. *Physics Letters A*, 357, 270-274.
- Lee, S.H. (2010). Robustness of the branch length similarity entropy approach for noise-added shape recognition. *Journal of the Korean Physical Society*, 57, 501-505.
- Lima, S.L., and Dill, L.M. (1990). Behavioral decisions made under the risk of predation: a review and prospectus. *Canadian Journal of Zoology*, 68, 619-640.
- Naher, H. (2015). Preying frequency of common kingfisher, *Alcedo atthis* (Linnaeus, 1758) in Bangladesh. *TAPROBANICA: The Journal of Asian Biodiversity*, 7, 14-19.
- Oyelade, O.J., Oladipupo, O.O., and Obagbuwa, I.C. (2010). Application of k-Means clustering algorithm for prediction of students' academic performance. *International Journal of Computer Science and Information Security*, 7, 292-295.
- Ozel, L.D., and Stynoski, J.L. (2011). Differences in escape behavior between a cryptic and an aposematic litter frog. *Journal of Herpetology*, 45, 395-398.
- Paul, N., Novais, S.C., Silva, C., Mendes, S., Kunzmann, A., and Lemos, M. (2021). Global warming overrides physiological anti-predatory mechanisms in intertidal rock pool fish *Gobius paganellus*. *The Science of the Total Environment*, 776, 145736.
- Tay, N.E., Fleming, P.A., Warburton, N.M., and Moseby, K.E. (2021). Predator exposure enhances the escape behaviour of a small marsupial, the burrowing bettong. *Animal Behaviour*, 175, 45-56.
- Tucker, V.A., Tucker, A.E., Akers, K., and Enderson, J.H. (2000). Curved flight paths and sideways vision in peregrine falcons (*Falco peregrinus*). *The Journal of Experimental Biology*, 203(Pt 24), 3755-3763.
- Wakeling, J.M. (2006). Fast-start mechanics. In R.E. Shadwick, and G.V., Lauder (Eds.), *Fish Biomechanics* (pp. 333-368). San Diego: Academic Press.
- Webb, P.W. (1986). Effect of body form and response threshold on the vulnerability of four species of teleost prey attacked by largemouth bass (*Micropterus salmoides*). *Canadian Journal of Fisheries and Aquatic Sciences*, 43, 763-771.
- Ydenberg, R.C., and Dill, L.M. (1986). The economics of fleeing from predators. *Advances in the Study of Behavior*, 16, 229-249.